

A Coarse-to-Fine Approach for Motion Pattern Discovery

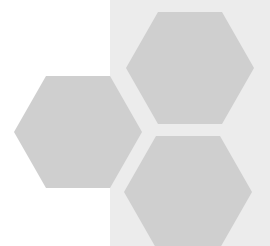
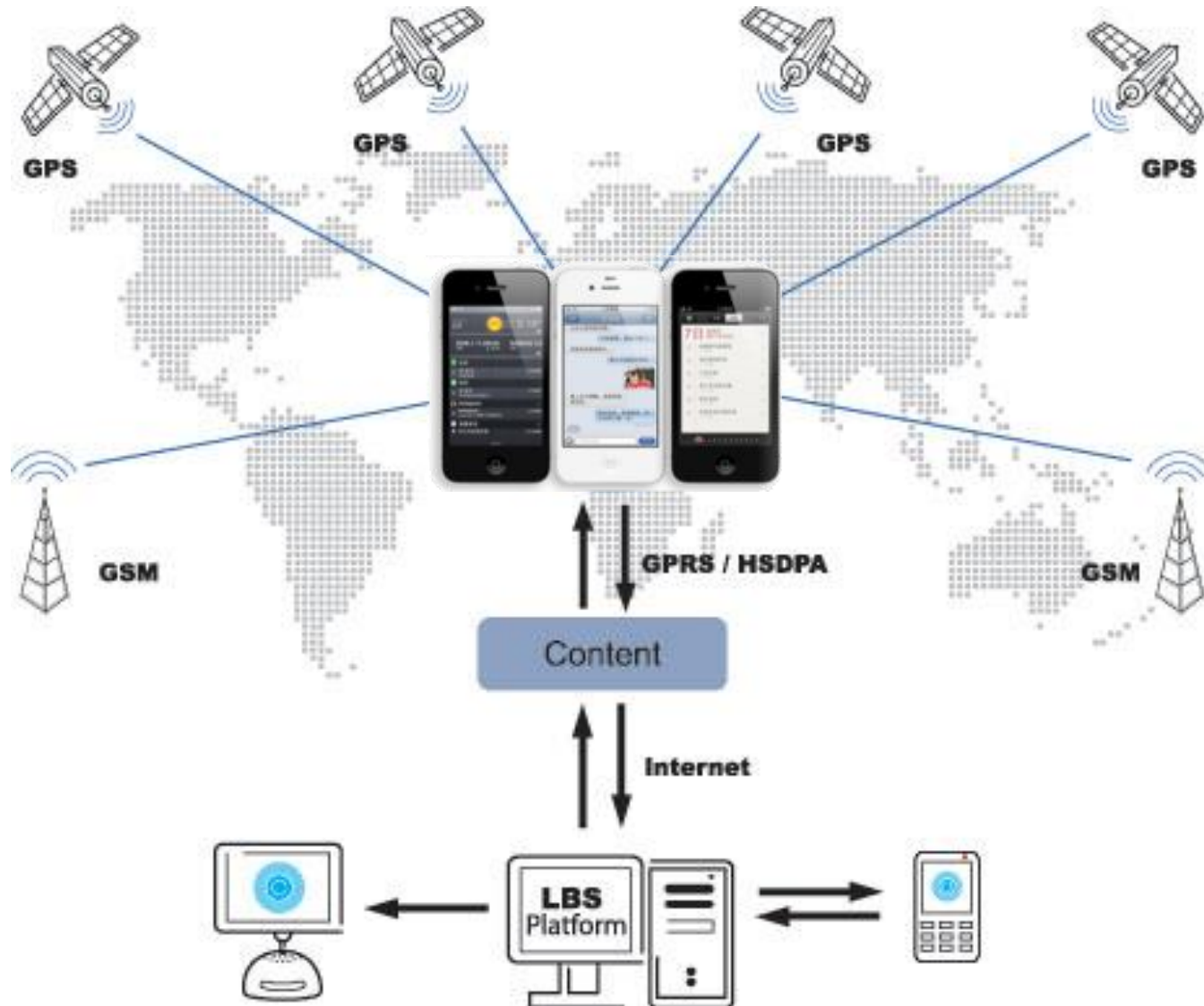
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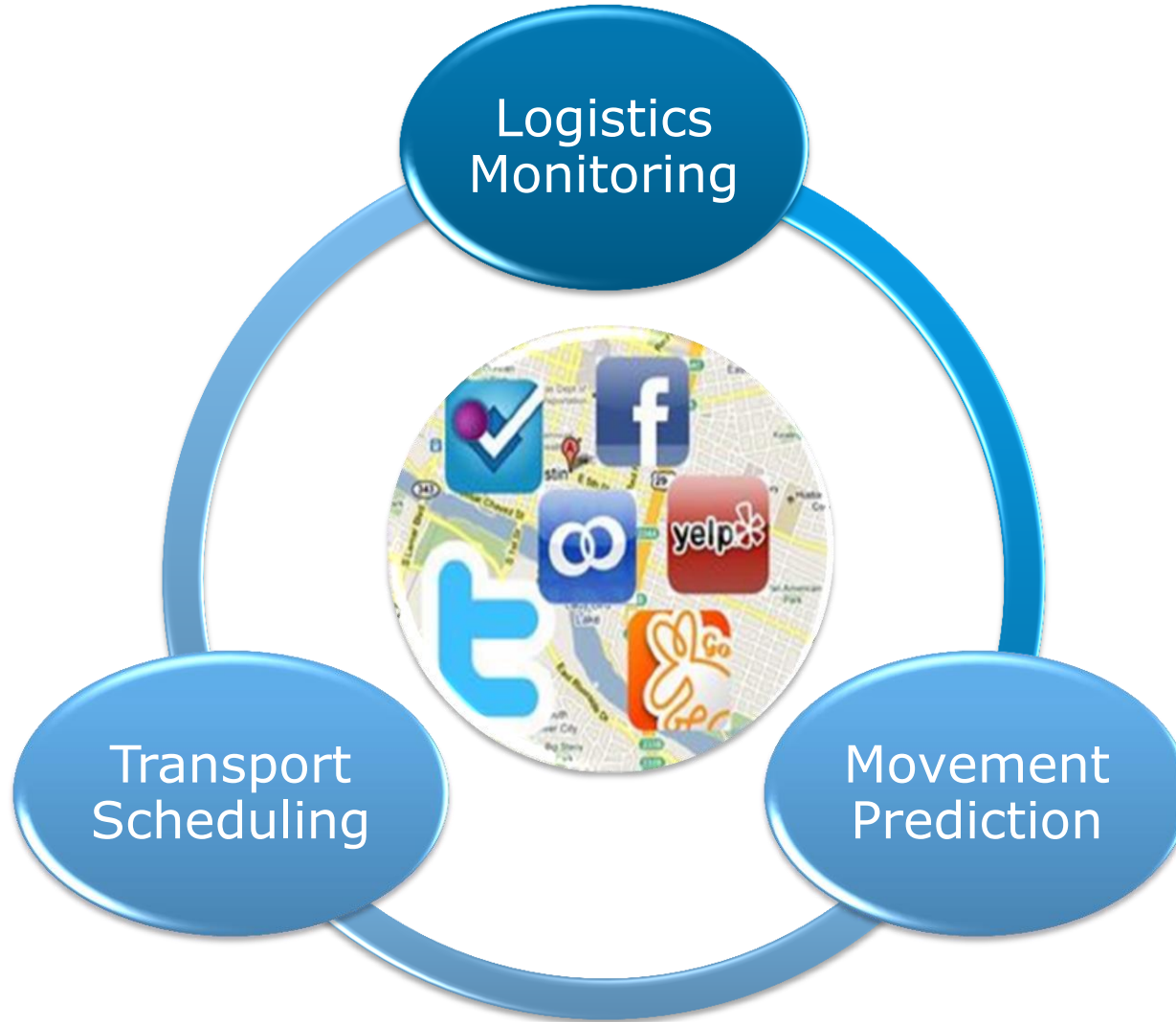


LBS



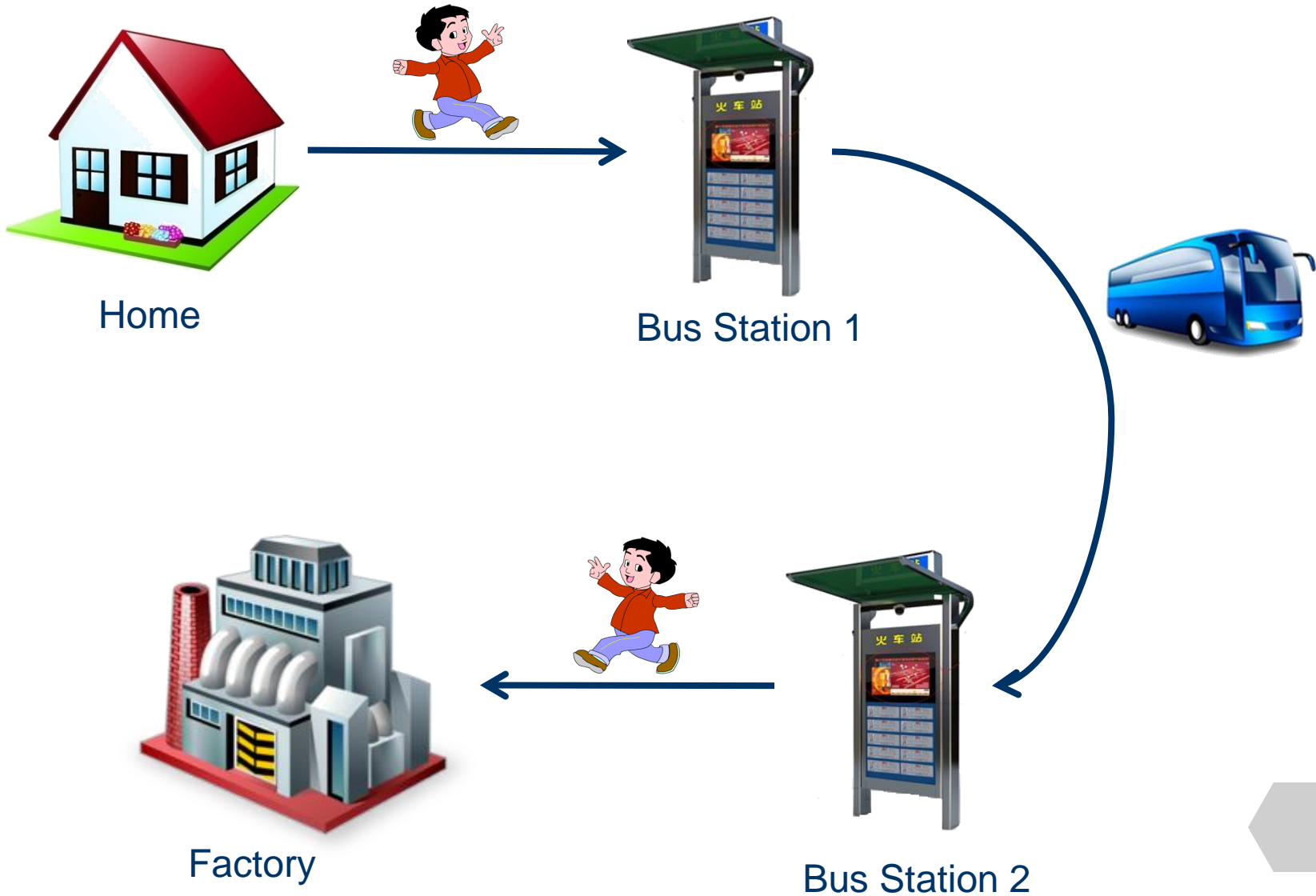


Promising Applications





Problem Model





Coarse-to-fine Approach



★ Coarse Clustering

A Median-based GMM



★ Refined Separation

Fisher optimal division method





Coarse Clustering

I

$$P(v_i) = \sum_{k=1}^K \pi_k N(v_i | \mu_k, \sigma_k)$$

II

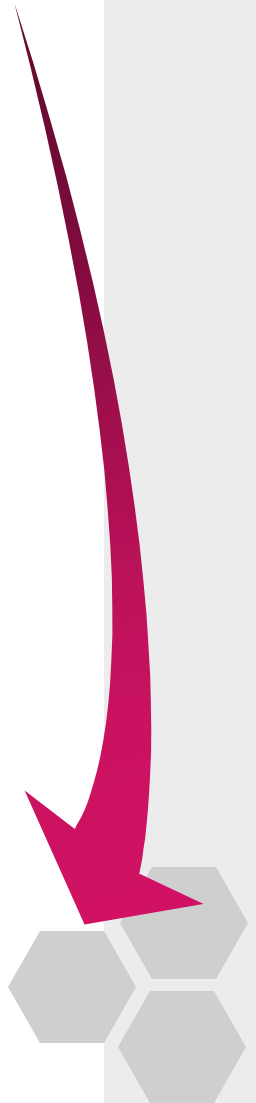
$$\sum_{i=1}^L \log \left\{ \sum_{k=1}^K \pi_k N(v_i | \mu_k, \sigma_k) \right\}$$

III

$$\gamma(k|v_i) = \frac{\pi_k N(v_i | \mu_k, \sigma_k)}{\sum_{j=1}^K \pi_j N(v_i | \mu_j, \sigma_j)}$$

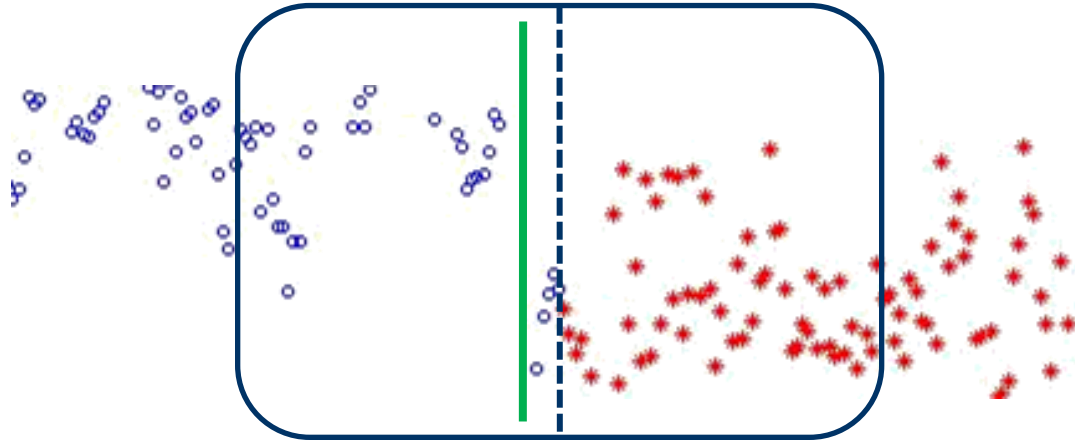
VI

$$\Gamma(k|v_i) = \frac{\gamma'(k|v_i)}{\sum_{k=1}^K \gamma'(k|v_i)}$$





Refined Separation



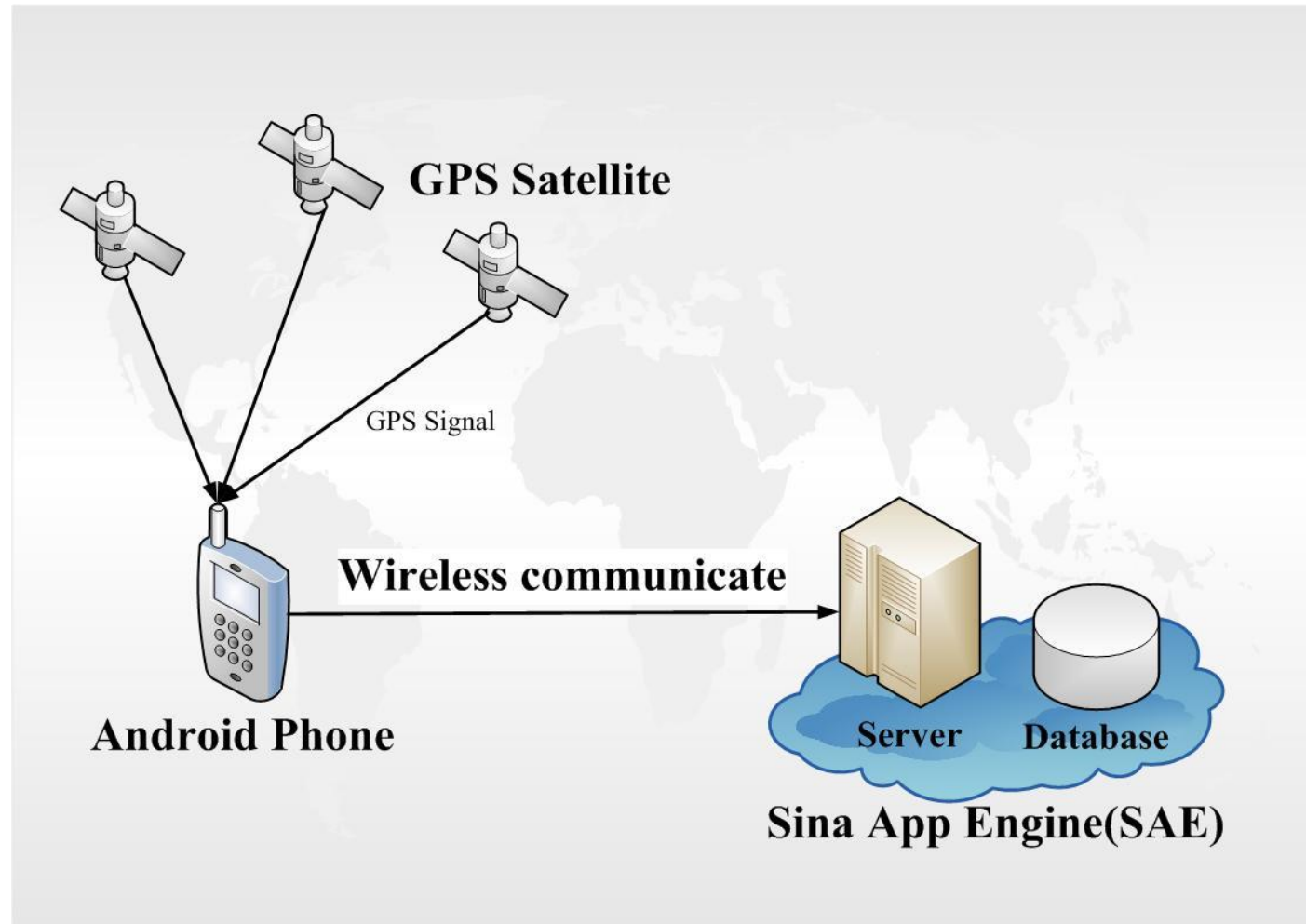
$V_{i'-n}, \dots, V_{i'}, \dots, V_{i'+n}$

$$D_k(i' - n, i' + n) = \sum_{t=i'-n}^{i'+n} (v_t - \bar{v})$$

$$c = \underset{i'}{\operatorname{argmin}} \sum_{k=1}^K D_k(i' - n, i' + n)$$

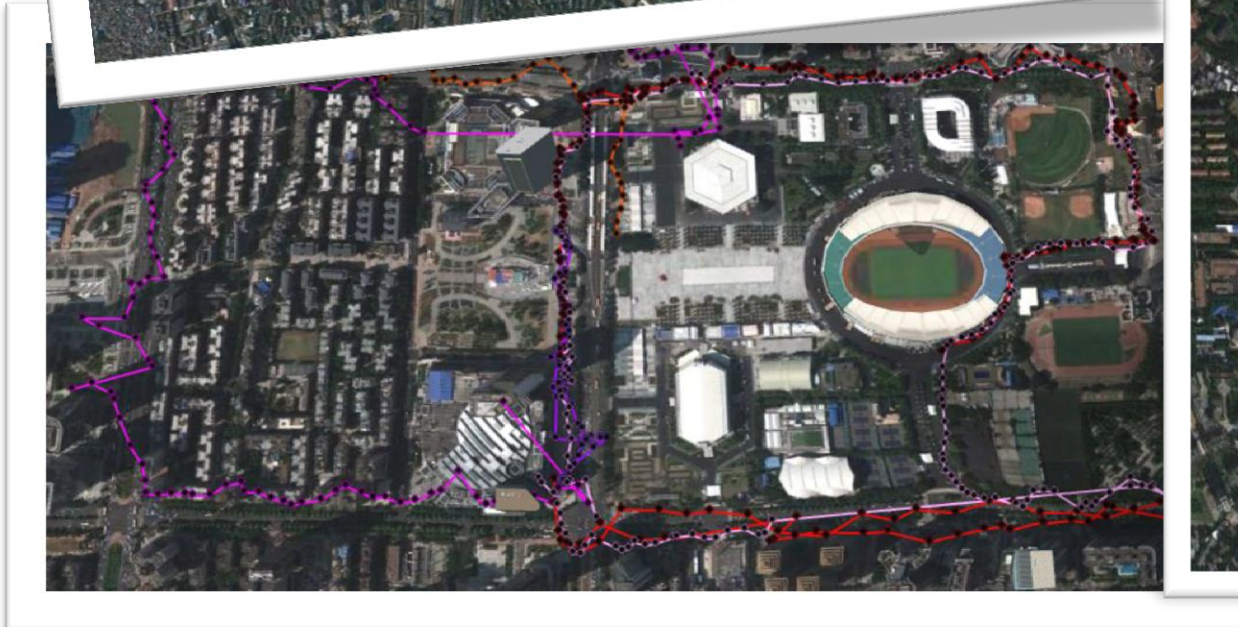
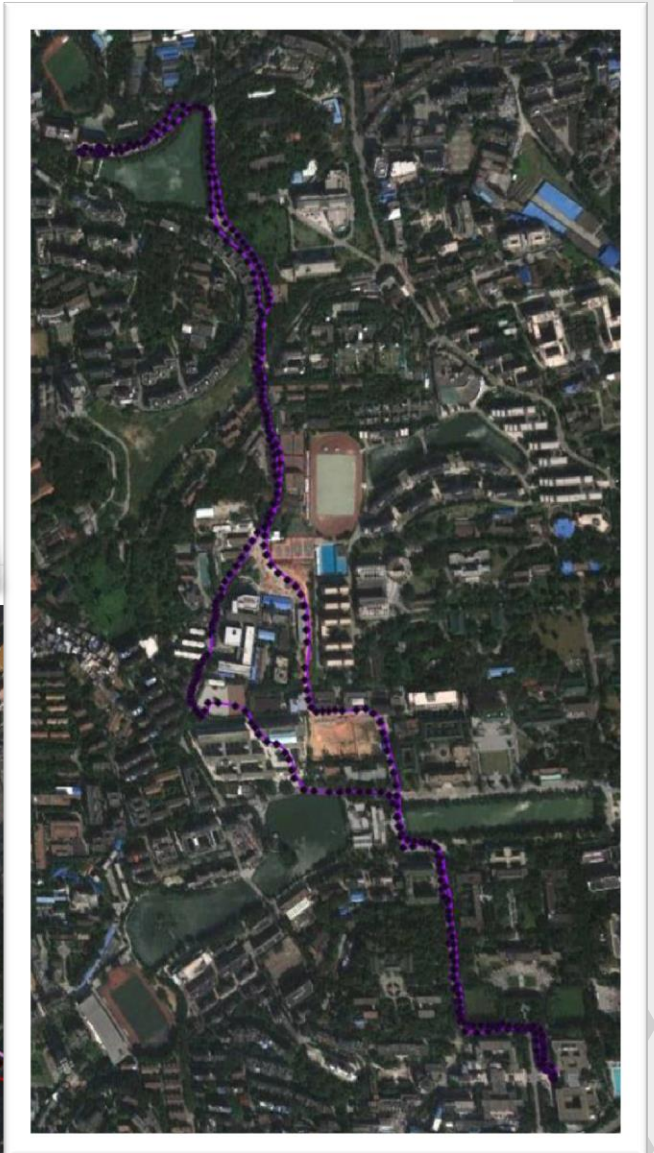
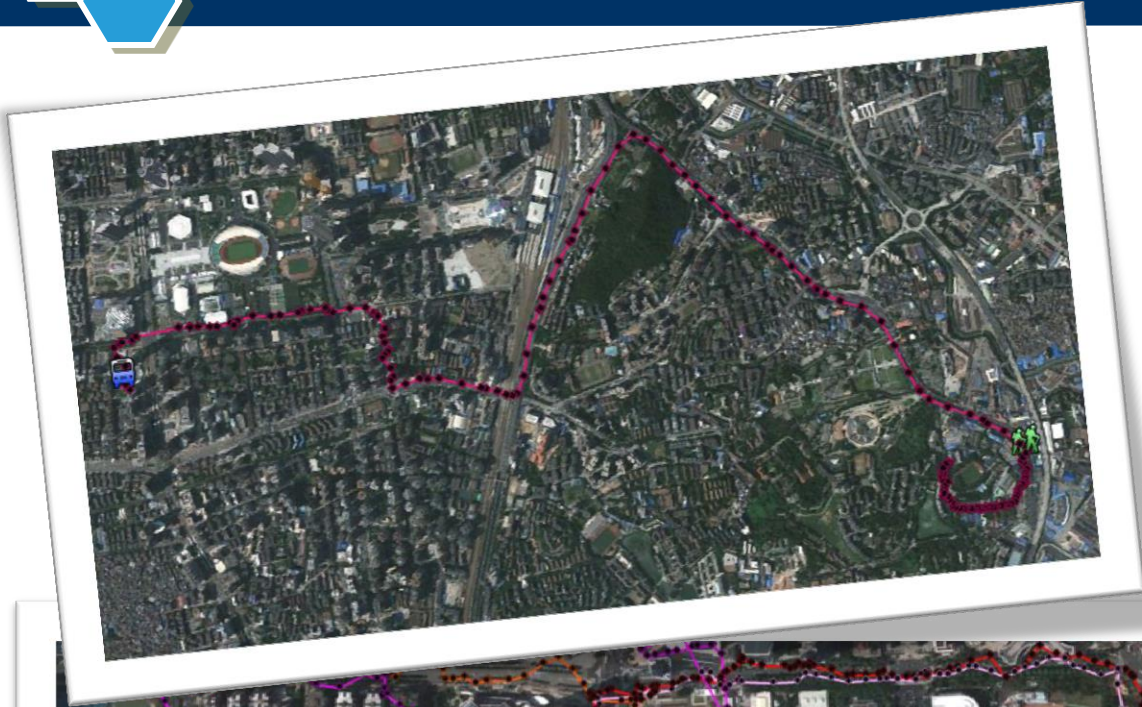


Data Collection System



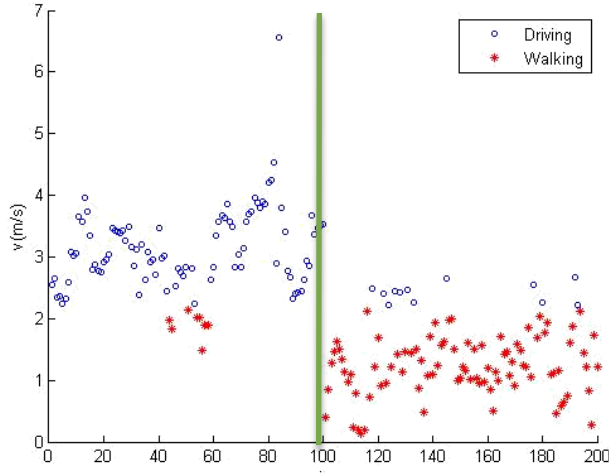


The Real GPS Data

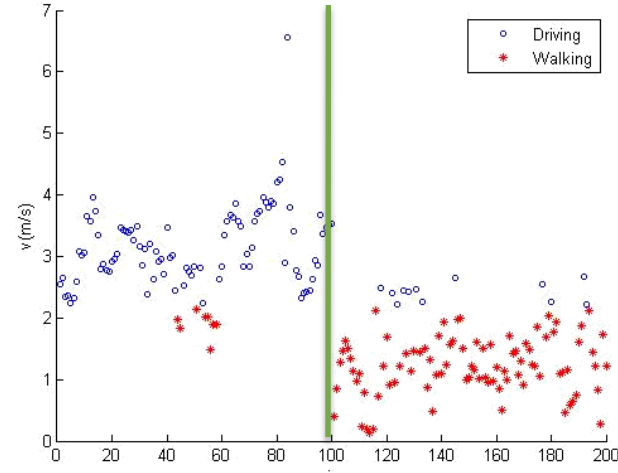




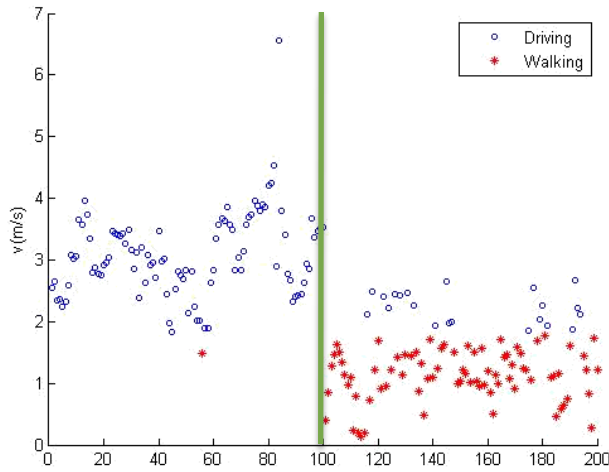
Clustering Result



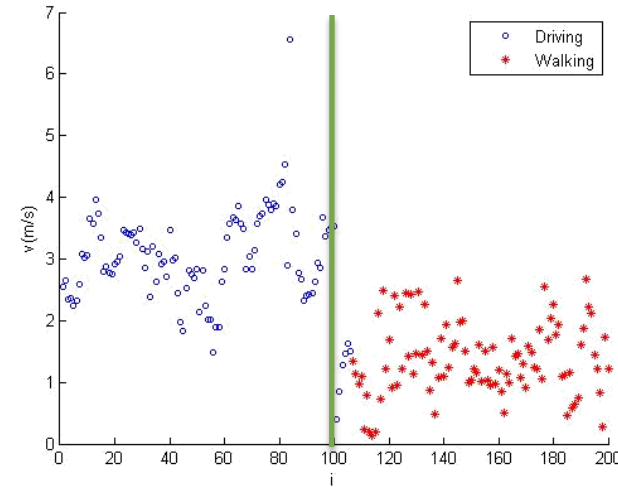
K-means



FCM



GMM



The proposed algorithm





Accuracy by Different Methods

Table1 Accuracy on the LDPA data set

	K-means	FCM	GMM	Proposed Algorithm
Accuracy	78.04%	78.64%	79.75%	88.15%

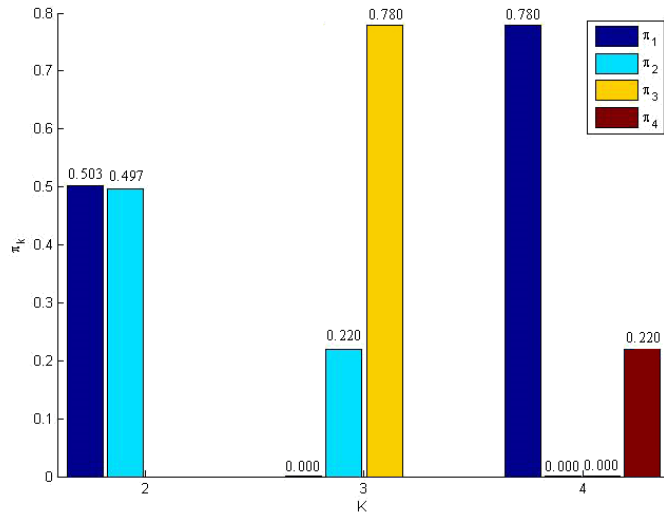
Table2 Accuracy on the real GPS data

	K-means	FCM	GMM	Proposed Algorithm
Accuracy	79.65%	79.73%	83.38%	93.74%

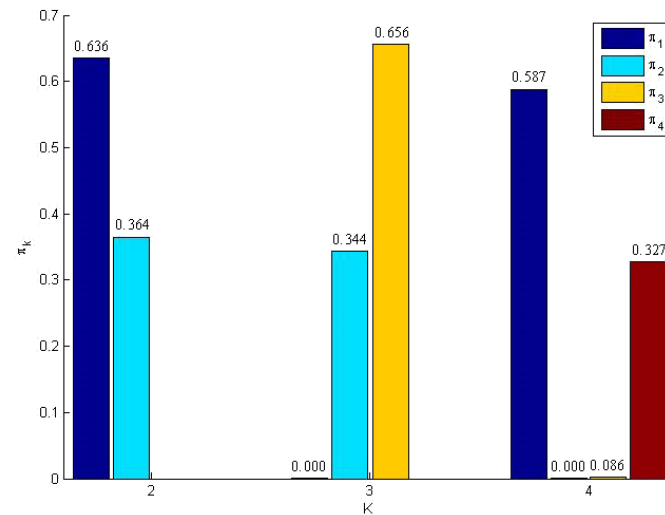




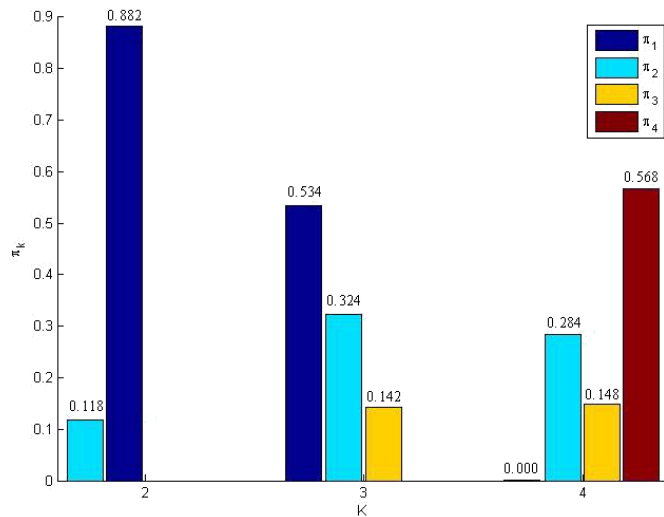
π_k for different motion patterns



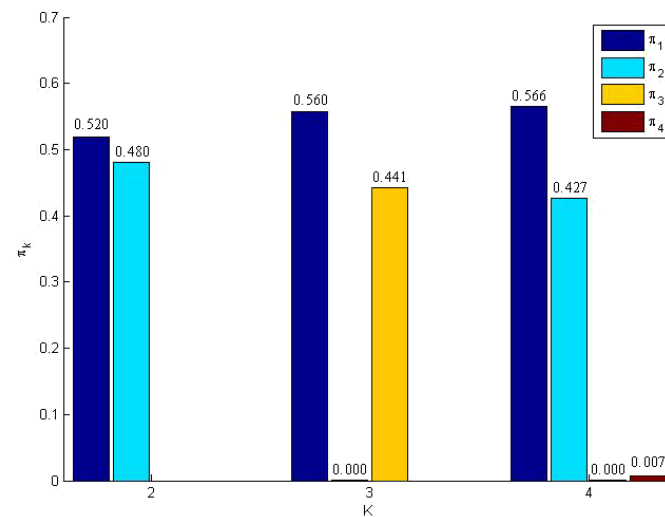
Driving → Biking



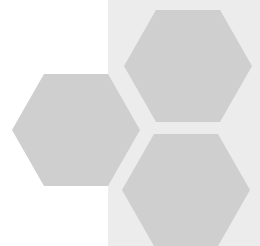
Walking → Biking



Walking → Driving → Biking

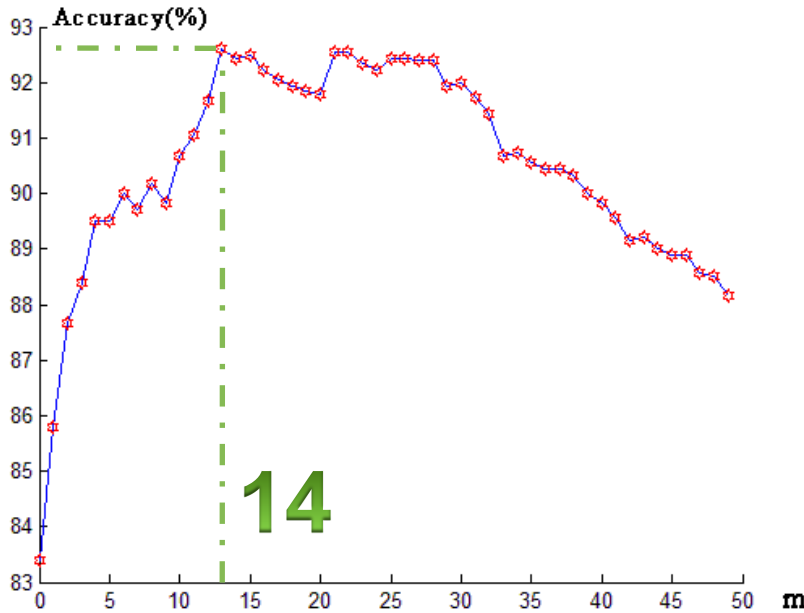


Walking → Biking → Walking





The parameter selection



The effect of m on the accuracy



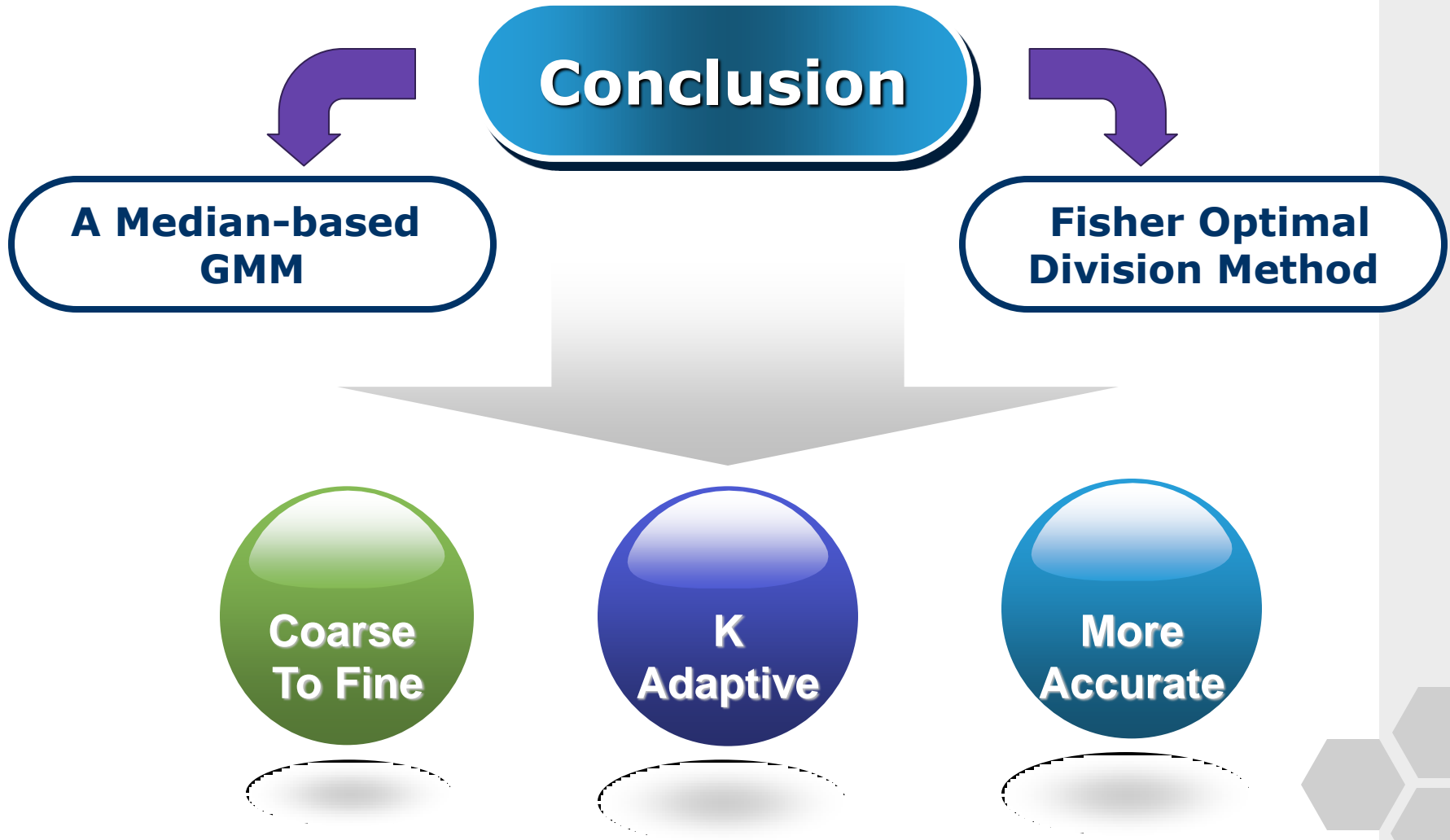
The effect of n on the accuracy

$$\gamma'(k|v_i) = \text{Median}_{j=i-m}^{i+m} \gamma(k|v_j) \quad D_k(i' - n, i' + n) = \sum_{t=i'-n}^{i'+n} (v_t - \bar{v})$$





Conclusion



Thank You !